PERFORMANCE, POWER, ENERGY

Mahdi Nazm Bojnordi

Assistant Professor

School of Computing

University of Utah



Recall: Processor Performance

- \Box Clock cycle time (CT = 1/clock frequency)
 - Influenced by technology and pipeline
- □ Cycles per instruction (CPI)
 - Influenced by architecture
 - \blacksquare IPC may be used instead (IPC = 1/CPI)
- □ Instruction count (IC)
 - Influenced by ISA and compiler
- \Box CPU time = IC x CPI x CT

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□ CPU time = IC x CPI x CT

□ = 1 \times 10^{9} x 4.5 x 0.5x10<sup>-9</sup>

□ = 2.25 seconds
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□ CPU time = IC x CPI x CT

□ = 1x10^{9} x 4.5 x 0.3125x10<sup>-9</sup>

□ = 1.40625 seconds
```

Example: Cycles Per Instruction

- \Box Computer A: Cycle Time = 250ps, CPI = 2.0
- □ Computer B: Cycle Time = 500ps, CPI = 1.2
- Same ISA and same program
- Which is faster, and by how much?

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$$= I \times 2.0 \times 250 \text{ps} = I \times 500 \text{ps}$$

A is faster...

$$= I \times 1.2 \times 500 \text{ps} = I \times 600 \text{ps}$$

$$\frac{\text{CPU Time}_{B}}{\text{CPU Time}_{A}} = \frac{I \times 600 \text{ps}}{I \times 500 \text{ps}} = 1.2 \longleftarrow$$

...by this much

Example: Instruction Count

There exist two algorithms for a scientific problem. Program A implements Algorithm A using 10B instructions. But, Program B needs only 2B instructions for Algorithm B. Compute the CPU times for an average IPC of 0.25 on a 4GHz processor.

Example: Instruction Count

- There exist two algorithms for a scientific problem. Program A implements Algorithm A using 10B instructions. But, Program B needs only 2B instructions for Algorithm B. Compute the CPU times for an average IPC of 0.25 on a 4GHz processor.
- □ Program A: CPU time = $10x10^9 \times 4 \times 0.25x10^{-9}$
- = 10 seconds
- □ Program B: CPU time = $2x10^9 \times 4 \times 0.25 \times 10^{-9}$
- = 2 seconds

Measuring Performance

- □ What program to use for measuring performance?
- Benchmarks Suites
 - A set of representative programs that are likely relevant to the user
 - Examples:
 - SPEC CPU 2006: CPU-oriented programs (for desktops)
 - SPECweb: throughput-oriented (for servers)
 - EEMBC: embedded processors/workloads

SPEC CPU Benchmark

- Programs used to measure performance
 - Supposedly typical of actual workload
- Standard Performance Evaluation Corp (SPEC)
 - Develops benchmarks for CPU, I/O, Web, ...
- □ SPEC CPU2006
 - Elapsed time to execute a selection of programs
 - Negligible I/O, so focuses on CPU performance
 - Normalize relative to reference machine
 - Summarize as geometric mean of performance ratios
 - CINT2006 (integer) and CFP2006 (floating-point)

$$\int_{i=1}^{n} Execution time ratio_{i}$$

Improving Performance

□ Consider an employee who is given a fix budget of \$500 to enhance the performance their laptop. There exist two options for system upgrade: (a) make CPU 2x faster and (b) make memory 1.5x faster. Which one is upgrade option is better?

Amdahl's Law

The law of diminishing returns

 $= \frac{\text{Execution time after improvement}}{\text{Amount of improvement}} + \text{Execution time unaffected}$

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$$Execution time_{new} = Execution time_{old} \times \left((1 - Fraction_{enhanced}) + \frac{Fraction_{enhanced}}{Speedup_{enhanced}} \right)$$

$$Speedup_{overall} = \frac{Execution time_{old}}{Execution time_{new}} = \frac{1}{(1 - Fraction_{enhanced}) + \frac{Fraction_{enhanced}}{Speedup_{enhanced}}}$$

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- □ Scenario 1: 20% CPU and 80% Memory
 - \square (a): speedup=1.11x (b): speedup=1.36x

Improving Performance

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- □ Scenario 1: 20% CPU and 80% Memory
 - \blacksquare (a): speedup=1.11x (b): speedup=1.36x
- □ Scenario 2: 70% CPU and 30% Memory
 - \square (a): speedup=1.53x (b): speedup=1.11x

Example Problem

Our new processor is 10x faster on computation than the original processor. Assuming that the original processor is busy with computation 40% of the time and is waiting for IO 60% of the time, what is the overall speedup?

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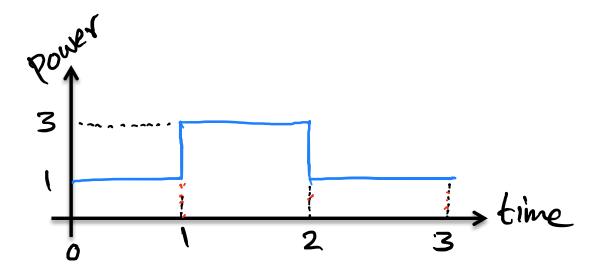
f=0.4 s=10
Speedup = 1 /
$$(0.6 + 0.4/10) = 1/0.64 = 1.5625$$

Power and Energy

- \square Power = Voltage x Current (P = VI)
 - Instantaneous rate of energy transfer (Watt)
- \Box Energy = Power x Time (E = PT)
 - The cost of performing a task (Joule)

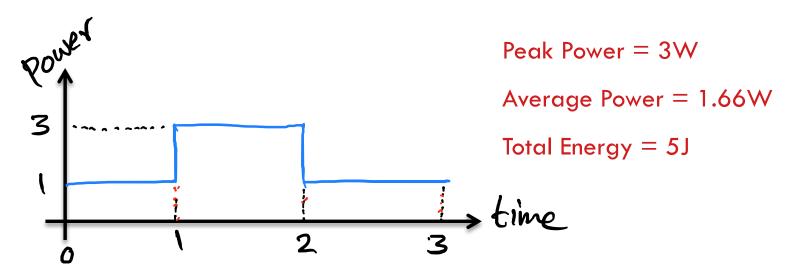
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CPU Power and Energy

- All consumed energy is converted to heat
 - CPU power is the rate of heat generation
 - Excessive peak power may result in burning the chip
- Static and dynamic energy components
 - Energy = $(Power_{Static} + Power_{Dynamic}) \times Time$

Consider using Zoom for a 50-minute IVC meeting on your laptop that dissipates 75W dynamic power. Assume that your laptop dissipates 15W static power. Compute the total energy consumed for the meeting?

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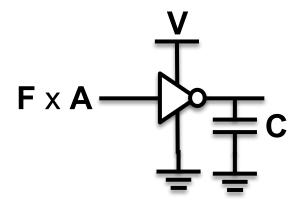
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- \square 1kWh = 3,600kJ \rightarrow Cost = 1.5¢

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 - Energy = $(Power_{Static} + Power_{Dynamic}) \times Time$
 - How to compute for CPU?
 - Power_{Static} = Voltage x Current_{Static}
 - Power_{Dynamic} = Capacitance x Voltage² x (Activity x Frequency)

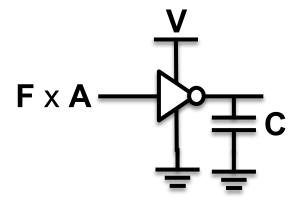
- Reducing capacitance (C)
- Reducing voltage (V)

□ Reducing frequency (F)

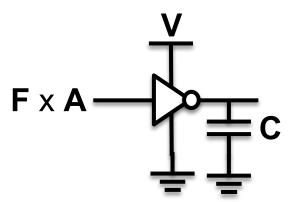


- □ Reducing capacitance (C)
 - Requires changes to physical layout and technology
- Reducing voltage (V)

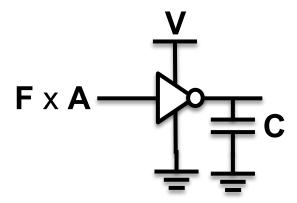
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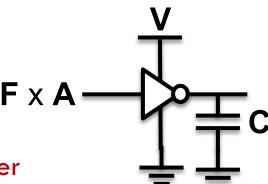
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 - Opportunistically power gating (wakeup time)
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 - □ Clock gating in unused resources



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 - Clock gating in unused resources
- Points to note
 - Utilization directly effects dynamic power
 - Lowering power does NOT mean lowering energy



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Consider a processor consuming 80W dynamic power. By only reducing the frequency from 4GHz to 2GHz, what will be the new dynamic power?

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- Power_{Dynamic} = Capacitance x Voltage² x (Activity x Frequency)
- \square @4GHz Power_{Dynamic} = 80W
- \square @2GHz Power_{Dynamic} = 40W